



3rd Annual
Microgravity Environment
Interpretation Tutorial

**QUASI-STEADY ACCELERATION
ONBOARD INTERNATIONAL
SPACE STATION**

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GRAVITY GRADIENT (1)

Considering a platform on a circular orbit. In the center of mass we have:

$$g_o \frac{R_o^2}{R^2} = \omega^2 R$$

Where g_o is the value of acceleration at sea level, R_o is the Earth radius, ω is the orbital angular velocity and R is the orbit radius.

The gravity gradient can be computed by considering a point located at a distance ℓ separately for the three cases along x, along y and along z axes

1) ℓ along z

It is the simplest case and we have to substitute $(R \pm \ell)$ to R and carry out a linearization process

$$\begin{aligned} \mu g &= g_o \frac{R_o^2}{(R \pm \ell)^2} - \omega^2 (R \pm \ell) = g_o \frac{R_o^2}{R^2} \left(1 \pm \frac{\ell}{R}\right)^{-2} - g_o \frac{R_o^2}{R^3} (R \pm \ell) = \\ &= g_o \frac{R_o^2}{R^2} \left(1 \pm \frac{\ell}{R}\right)^{-2} - 1 \pm \frac{\ell}{R} \quad \pm 3g_o \frac{R_o^2}{R^2} \frac{\ell}{R} \end{aligned}$$

GRAVITY GRADIENT (2)



2) ℓ along x

In this case you have to substitute $(R^2 + \ell^2)^{1/2}$ to R since R, ℓ and r form a rectangular triangle, where r is the hypotenuse:

$$\begin{aligned} \mu g = g_o \frac{R_o^2}{R^2 + \ell^2} - \frac{2(R^2 + \ell^2)^{\frac{1}{2}}}{R^2} = g_o \frac{R_o^2}{R^2} \left(1 + \frac{\ell^2}{R^2}\right)^{-1} + \\ -g_o \frac{R_o^2}{R^2} \left(1 + \frac{\ell^2}{R^2}\right)^{\frac{1}{2}} - \frac{3}{2} g_o \frac{R_o^2}{R^2} \frac{\ell^2}{R^2} = 0 \end{aligned}$$

2) ℓ along y

In this case the centrifugal force is the same. You have to project g along y taking into account that R, ℓ and r form a rectangular triangle, where r is the hypotenuse: :

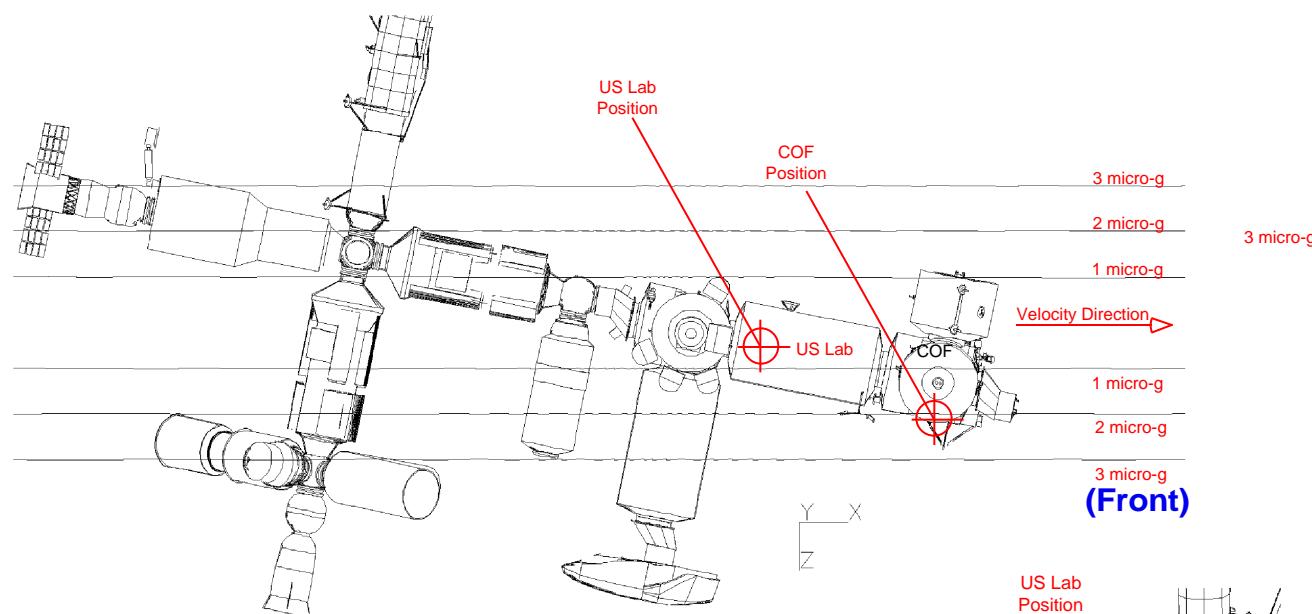
$$\begin{aligned} \mu g = g_o \frac{R_o^2}{(R^2 + \ell^2)^{\frac{3}{2}}} (R\mathbf{k} + \ell\mathbf{j}) \cdot \mathbf{j} = g_o \frac{R_o^2}{(R^2 + \ell^2)^{\frac{3}{2}}} \ell = g_o \frac{R_o^2}{R^2} \left(1 - \frac{3}{2} \frac{\ell^2}{R^2}\right) \frac{\ell}{R} \\ g_o \frac{R_o^2}{R^2} \frac{\ell}{R} \end{aligned}$$

DAC5 ASSEMBLY COMPLETE MICROGRAVITY ISO-G CONTOURS

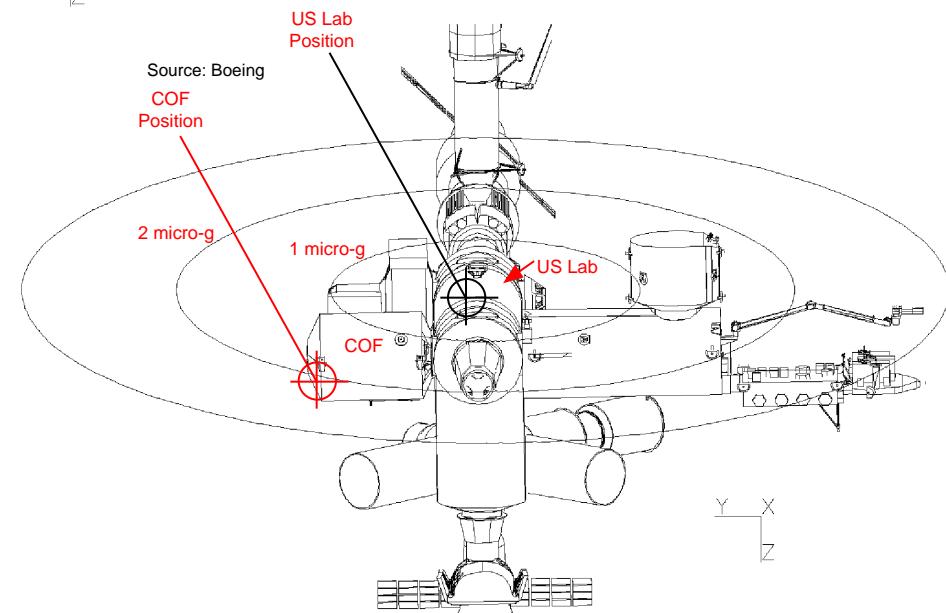


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(Side)



(Front)

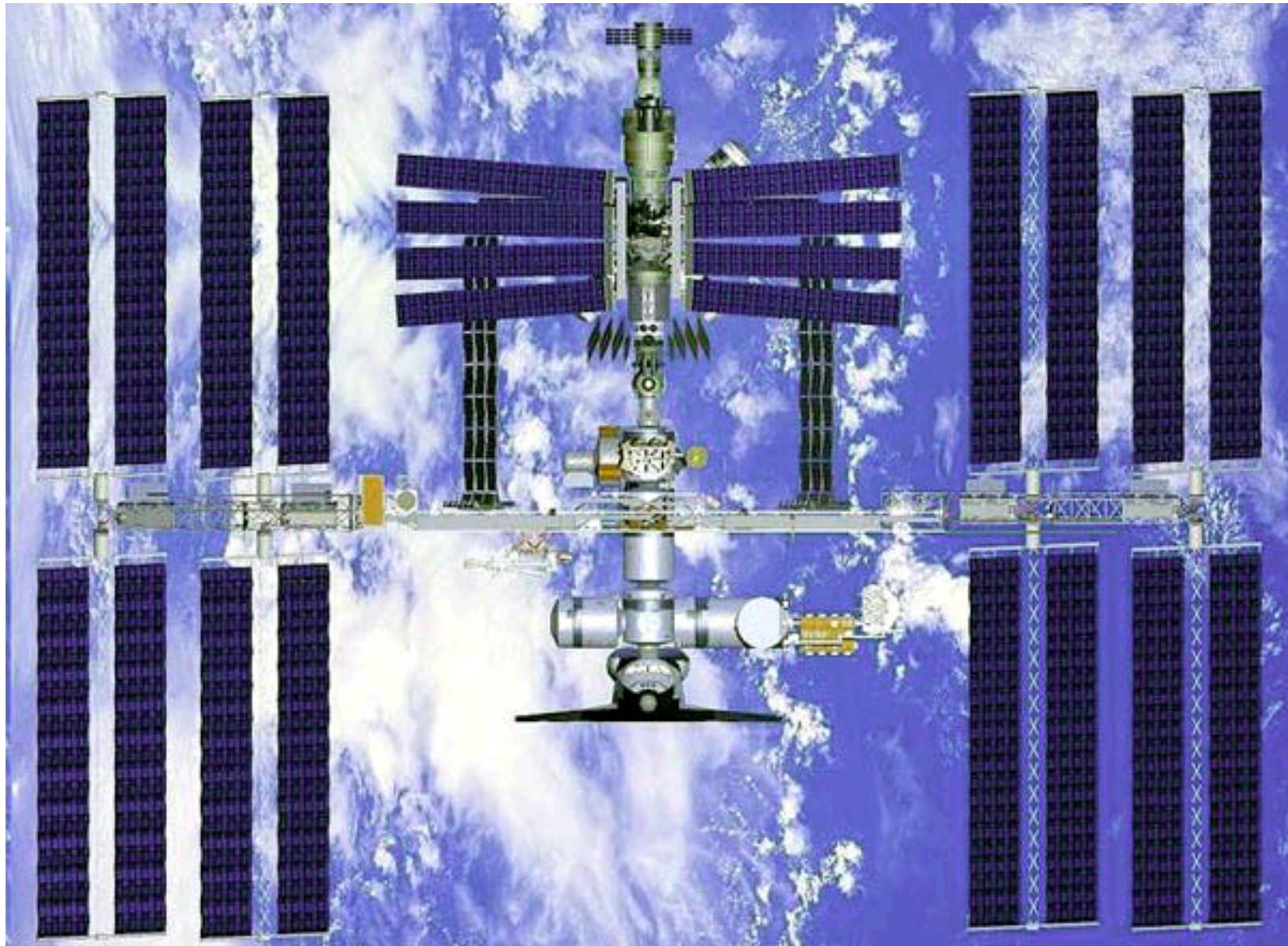


Source: Boeing

ISS Artistic View (Top)

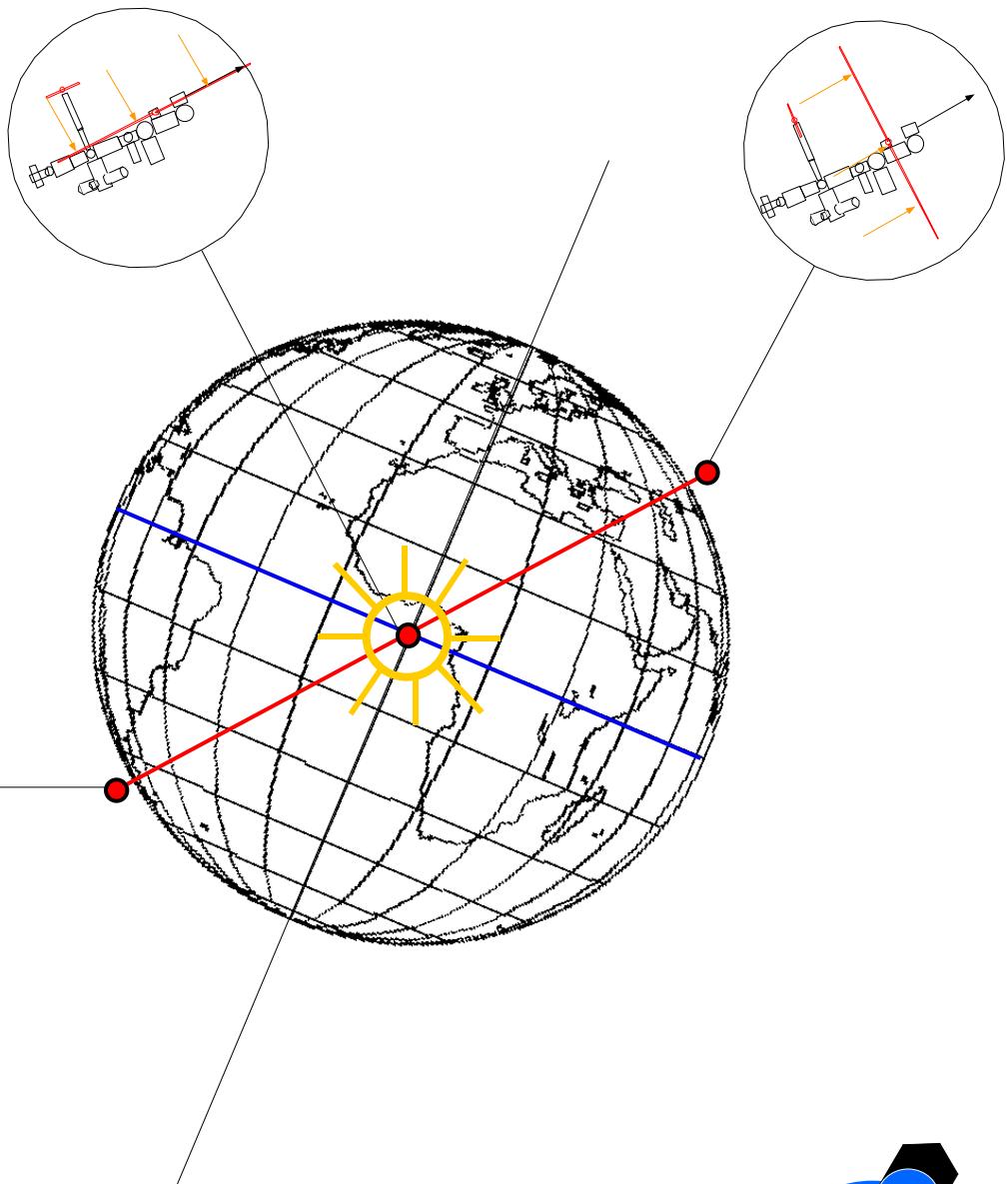
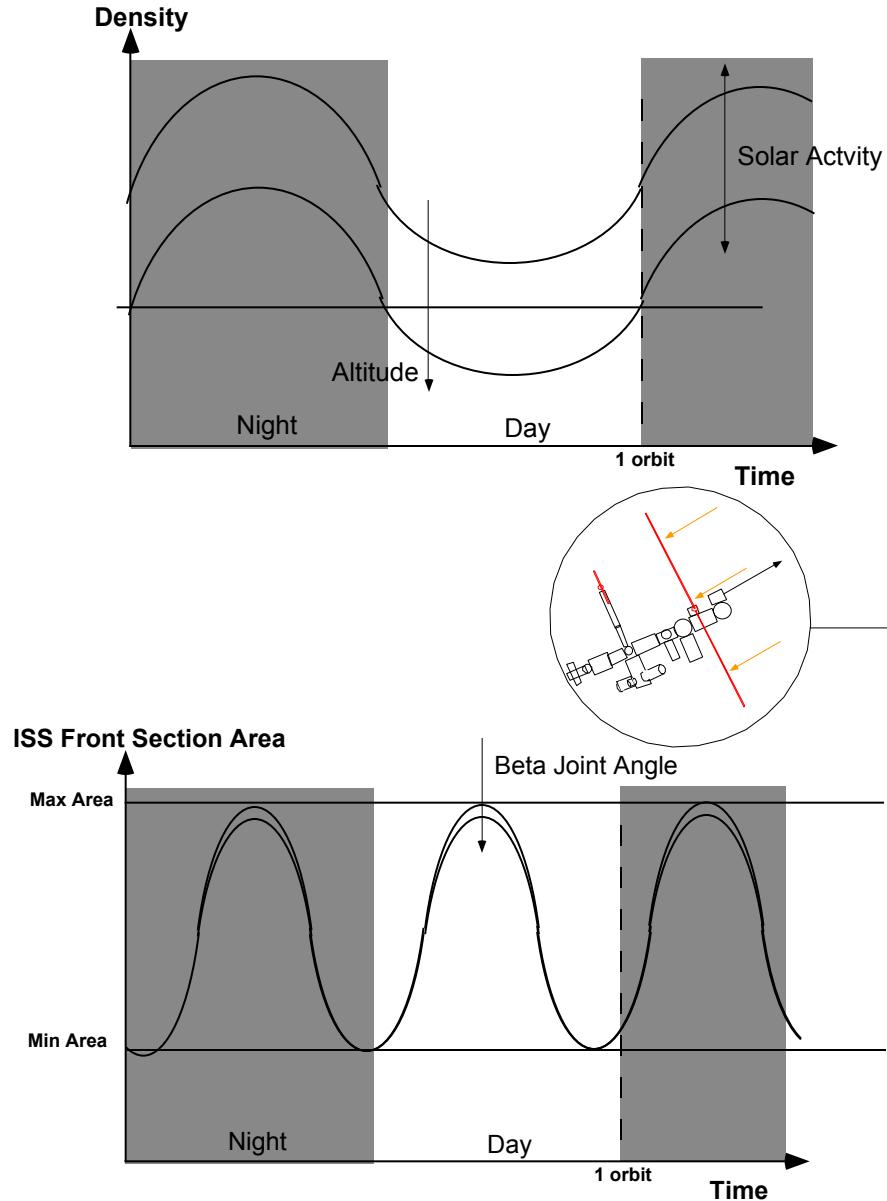


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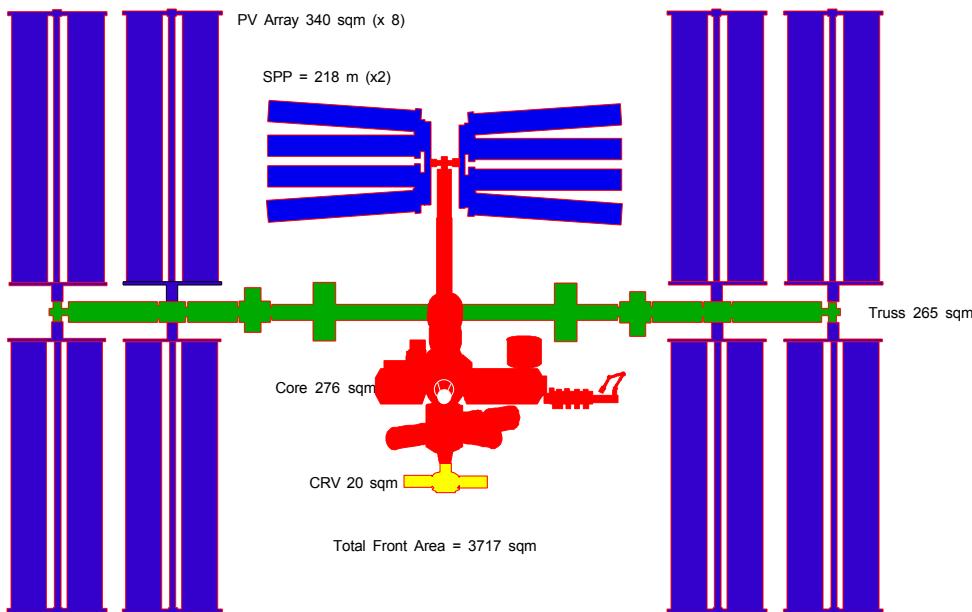


Source: Boeing

ISS SOLAR PANEL POSITION DURING ORBIT

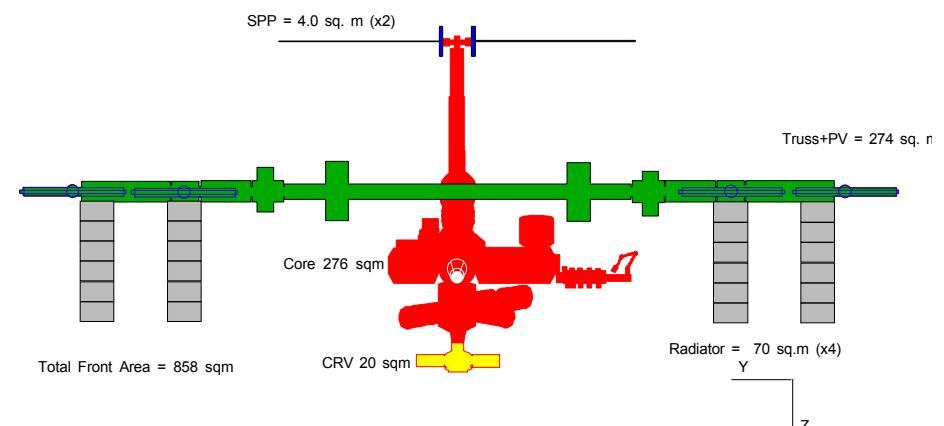


ISS RESIDUAL-g EVALUATION: aerodynamic drag contribution



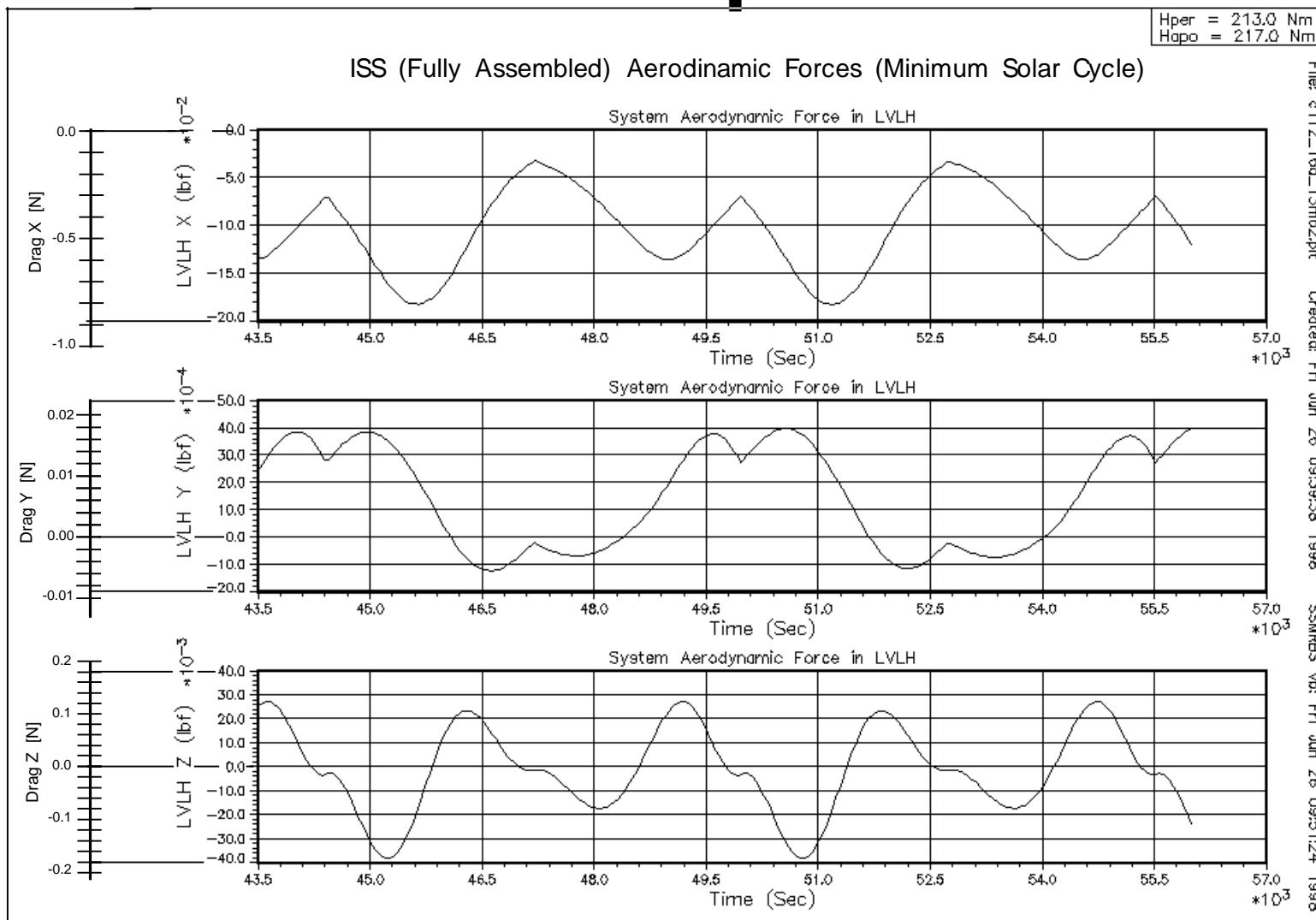
maximum Drag:
 Total Front Area = 3717 sqm
 Altitude = 352.000 m
 Velocity = 7694 m/s
 Air Density = 7×10^{-12} Kg/m³
 $C_d = 2.5$

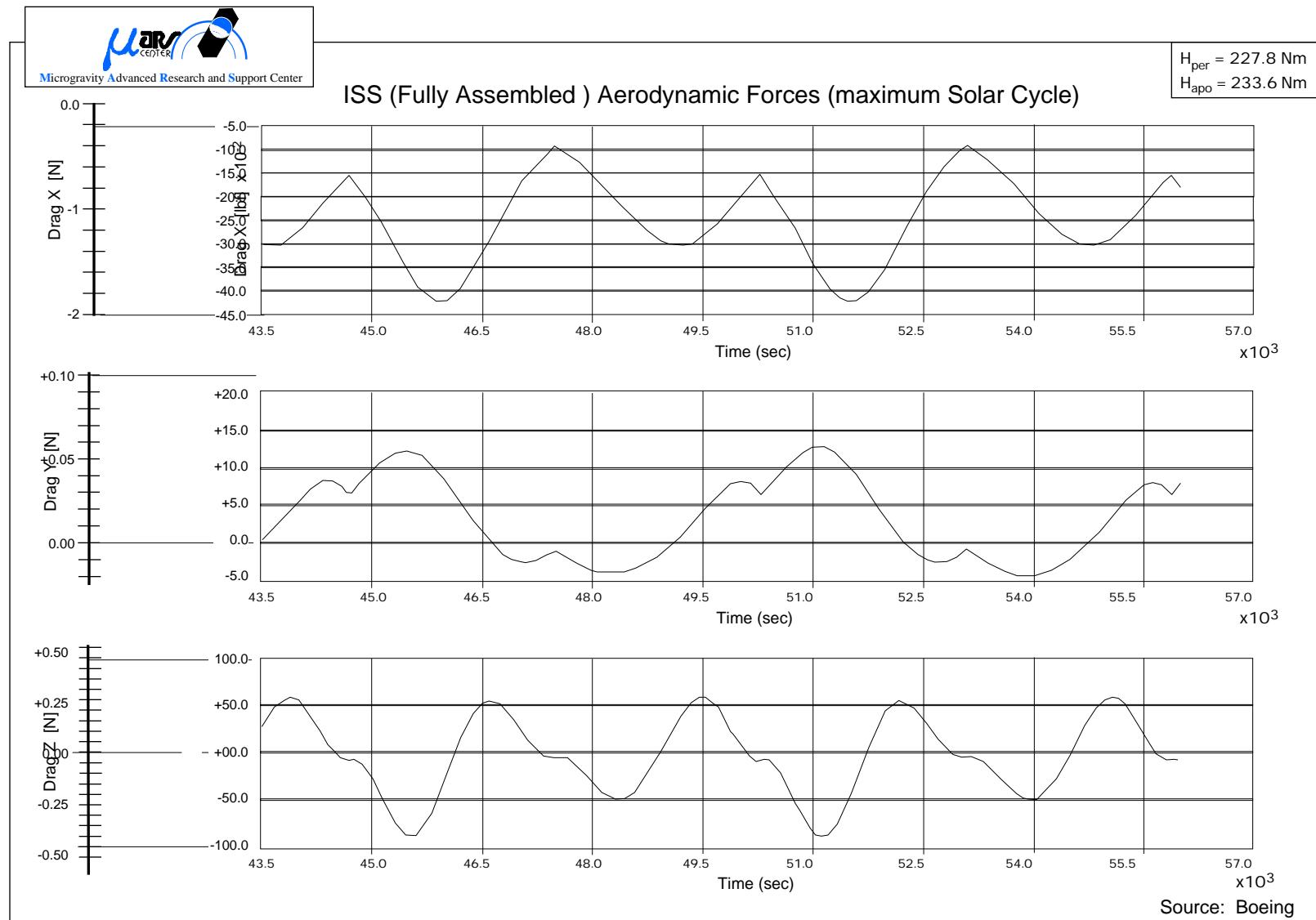
Drag X = 1.92 N
 ISS Mass = 419.000 Kg
 Acceleration X = $4.68 \times 10^{-7} g_0$



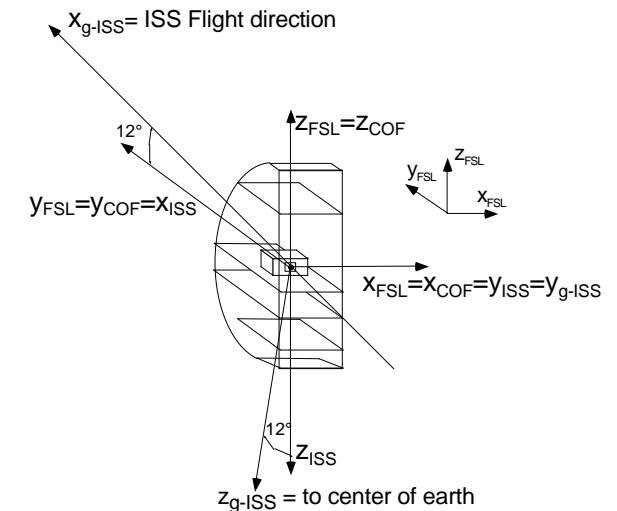
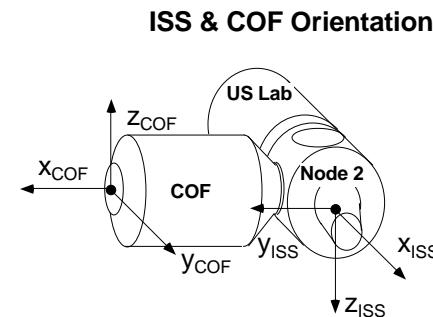
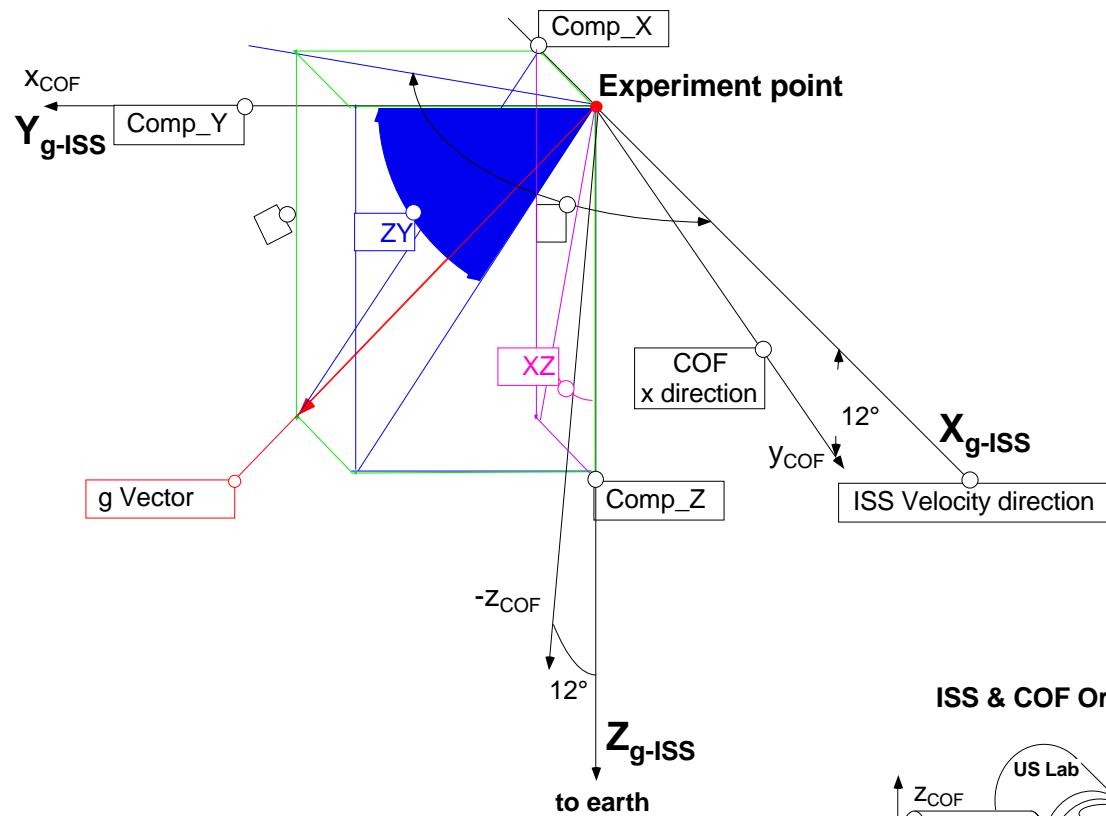
minimum Drag:
 Total Front Area = 858 sqm
 Altitude = 352.000 m
 Velocity = 7694 m/s
 Air Density = 7×10^{-12} Kg/m³
 $C_d = 2.5$

Drag X = .44 N
 ISS Mass = 419.000 Kg
 Acceleration X = $1.1 \times 10^{-7} g_0$

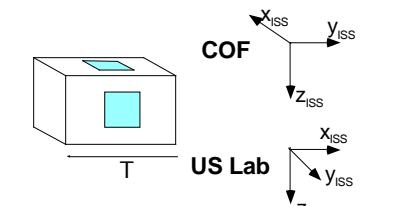




Coordinates systems, Vectors and Angles used in the description of the residual g

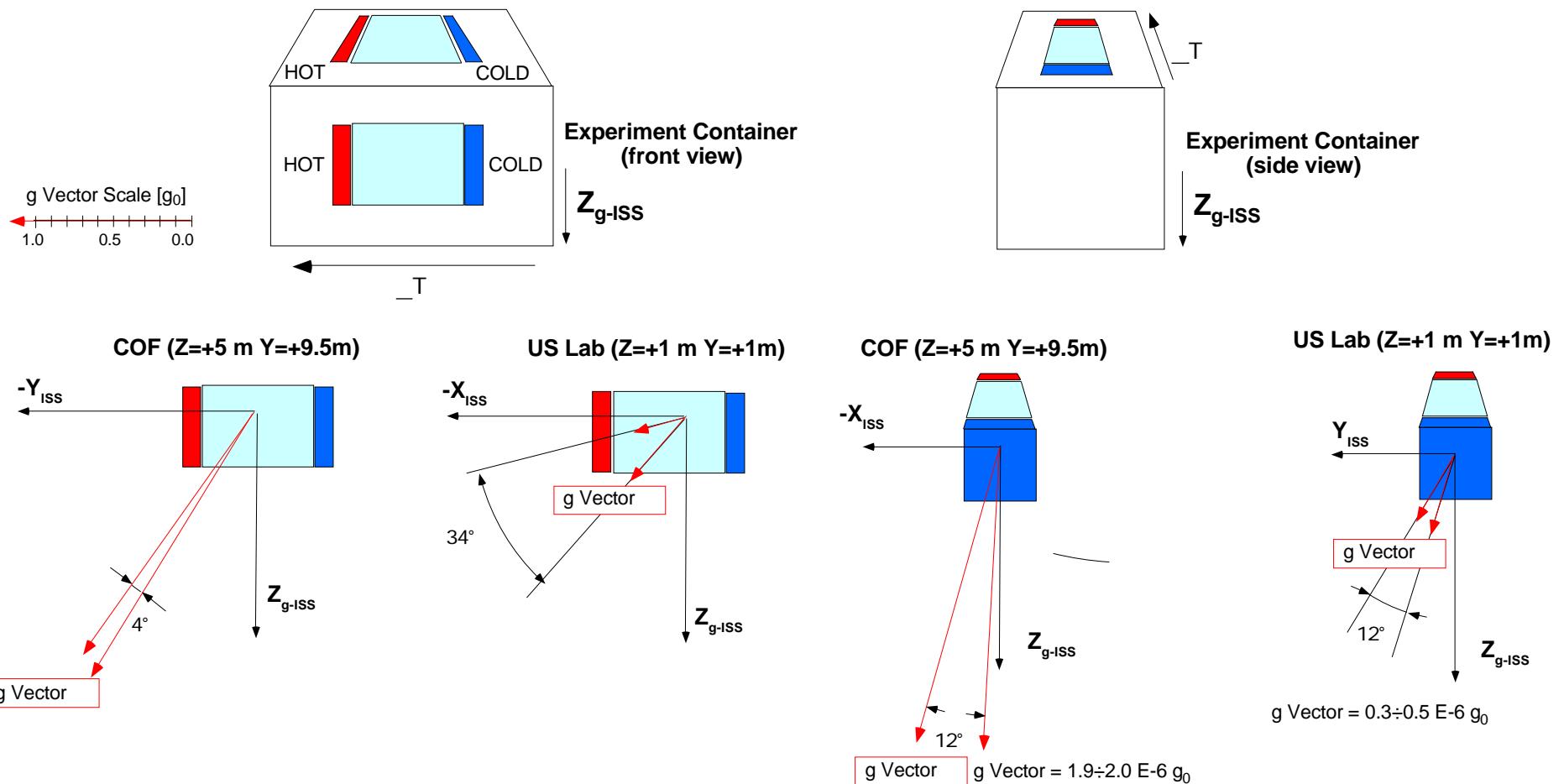


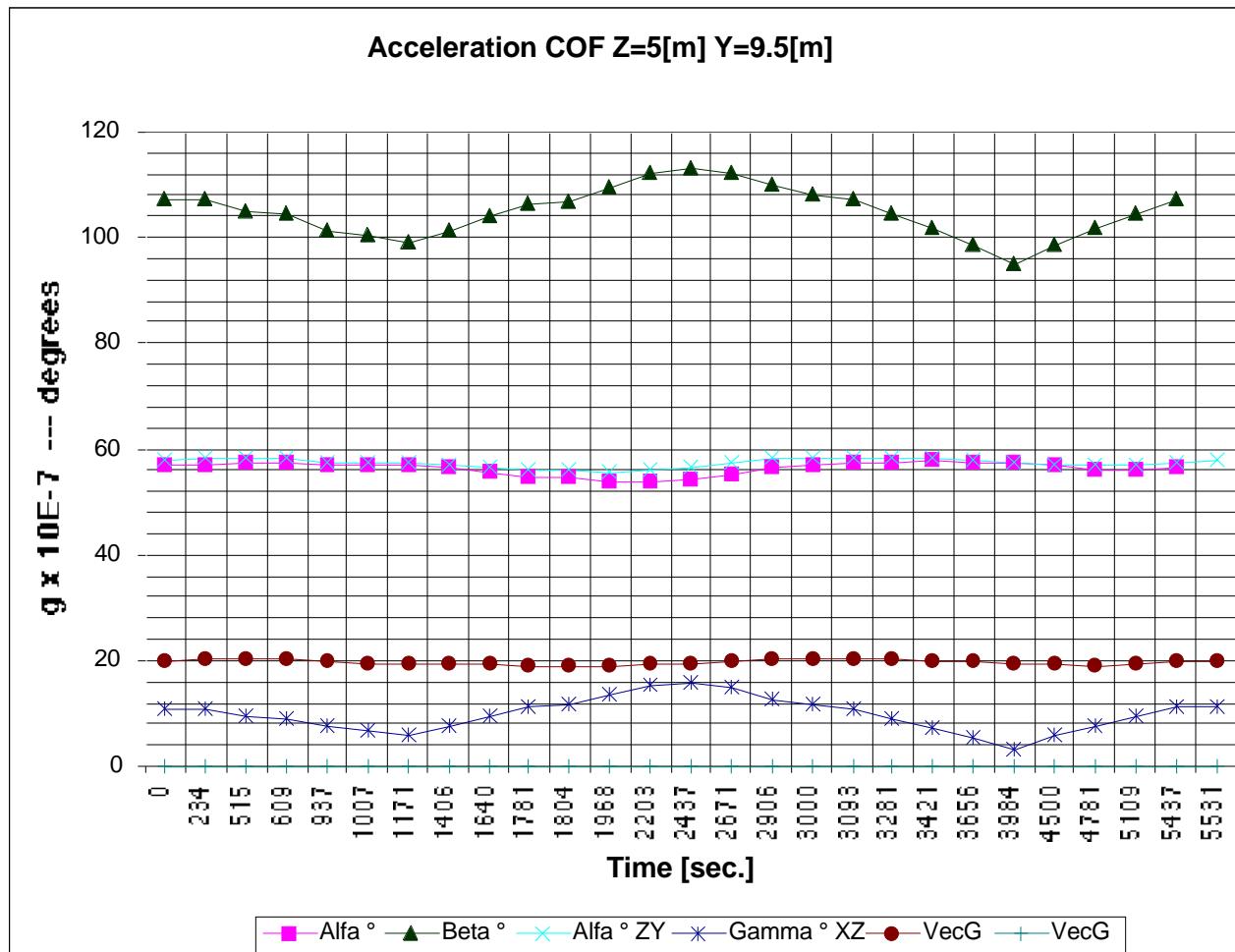
FSL Orientation



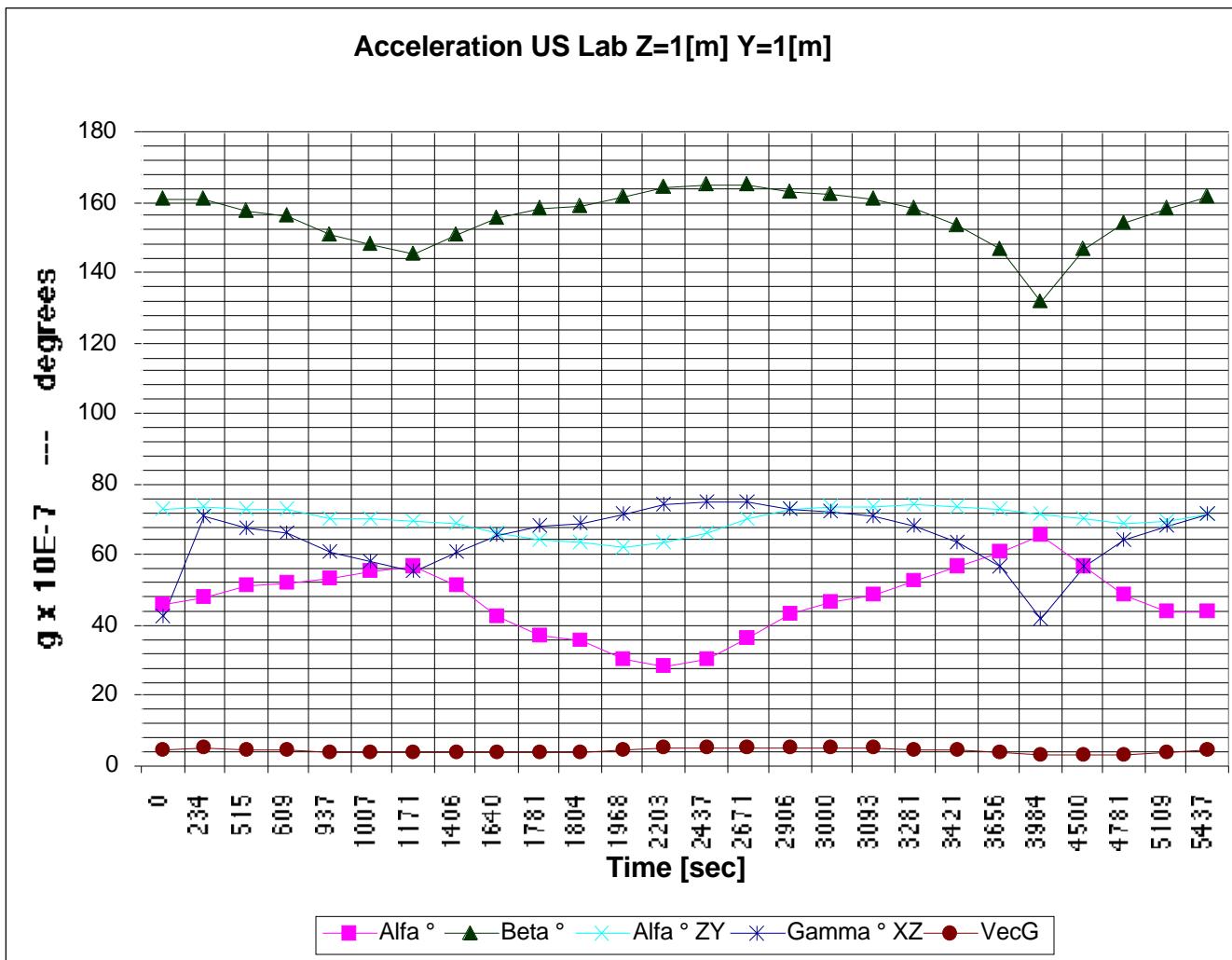
Orientation respect to the cell

Variation range of residual-g directions and module during ISS Orbit (g-vectors are in scale)





Time evolution of residual-g directions and module during ISS Orbit (inside COF)



Time evolution of residual-g directions and module during ISS Orbit (inside US Lab)



DAC5 Quasi-Steady Microgravity Assessment



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